

IX CLASS-MATHEMATICS-SOLUTIONS

1. The distance of a point from the y - axis is called its x -coordinate, or abscissa, and the distance of the point from the x -axis is called its y -coordinate, or ordinate

2. The number of solutions of the equation $y = 4x-7$ is [D]

(A) No solution (B) a unique solution (C) only two solutions (D) infinitely many solutions

3. Find the value of k , if $x = 2, y = 1$ is a solution of the equation $2x + 3y = k$.

Sol: Given equation: $2x + 3y = k$

If $x = 2, y = 1$ is a solution of the given equation then

$$2 \times 2 + 3 \times 1 = k$$

$$4 + 3 = k$$

$$k = 7$$

4. Two distinct lines can not have more than one point in common (True/False)

5. Write each of the following equations in the form $ax + by + c = 0$ and indicate the values of a, b and c in each case:

(i) $4y = 3x + 2.39$

Sol: $4y = 3x + 2.39$

$$3x - 4y + 2.39 = 0$$

$$a = 3, b = -4, c = 2.39$$

(ii) $x-7 = \sqrt{3}y$

Sol: $x - 7 = \sqrt{3}y$

$$x - \sqrt{3}y - 7 = 0$$

$$a = 1, b = -\sqrt{3}, c = -7$$

6. Write any of the four postulates of Euclid.

Sol:

(i) A straight line may be drawn from any one point to any other point

(ii) A terminated line can be produced indefinitely.

(iii) A circle can be drawn with any centre and any radius.

(iv) All right angles are equal to one another.

7. Find four different solutions of the equation $x + 2y = 6$.

Sol: Given equation $x + 2y = 6$.

(i) Let $x = 0 \Rightarrow 0 + 2y = 6$

$$\Rightarrow 2y = 6$$

$$\Rightarrow y = \frac{6}{2} = 3$$

$(0,3)$ is a solution.

(ii) Let $x = 2 \Rightarrow 2 + 2y = 6$

$$\Rightarrow 2y = 6 - 2$$

$$\Rightarrow 2y = 4$$

$$\Rightarrow y = \frac{4}{2} = 2$$

$(2,2)$ is a solution

(iii) Let $x = 4 \Rightarrow 4 + 2y = 6$

$$\Rightarrow 2y = 6 - 4$$

$$\Rightarrow 2y = 2$$

$$\Rightarrow y = \frac{2}{2} = 1$$

(4,1) is a solution.

(vi) Let $x = 6 \Rightarrow 6 + 2y = 6$

$$\Rightarrow 2y = 6 - 6$$

$$\Rightarrow 2y = 0$$

$$\Rightarrow y = \frac{0}{2} = 0$$

(6,0) is a solution

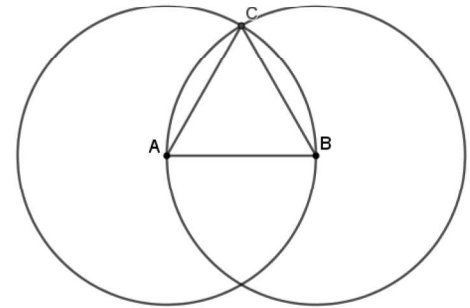
Hence, four different solutions for equation are (0,3); (2,2); (4,1); (6,0)

8. a) **Prove that an equilateral triangle can be constructed on any given line segment.**

Sol: 1. Using Euclid's Postulate 3, you can draw a circle with point A as the centre and AB as the radius.

2. Draw another circle with point B as the centre and BA as the radius.

3. The two circles meet at a point, say C. Now, draw the line segments AC and BC to form $\triangle ABC$.



Proof: $AB = AC$ (radii of the same circle) \rightarrow (1)

$AB = BC$ (Radii of the same circle) \rightarrow (2)

Euclid's axiom that things which are equal to the same thing are equal to one another,

From (1) and (2) : $AB = BC = AC$

So, $\triangle ABC$ is an equilateral triangle. (Or)

b) **If a point C lies between two points A and B such that $AC = BC$, then prove that $AC = \frac{1}{2}AB$.**

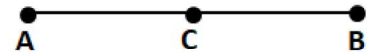
Explain by drawing the figure.

Sol: $AC = BC$ (Given)

$AC + AC = BC + AC$ (Equals are added to equals)

$2AC = AB$ ($BC + AC$ coincides with AB)

$$AC = \frac{1}{2}AB$$



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